



# Biophysical Simulations using QuickField



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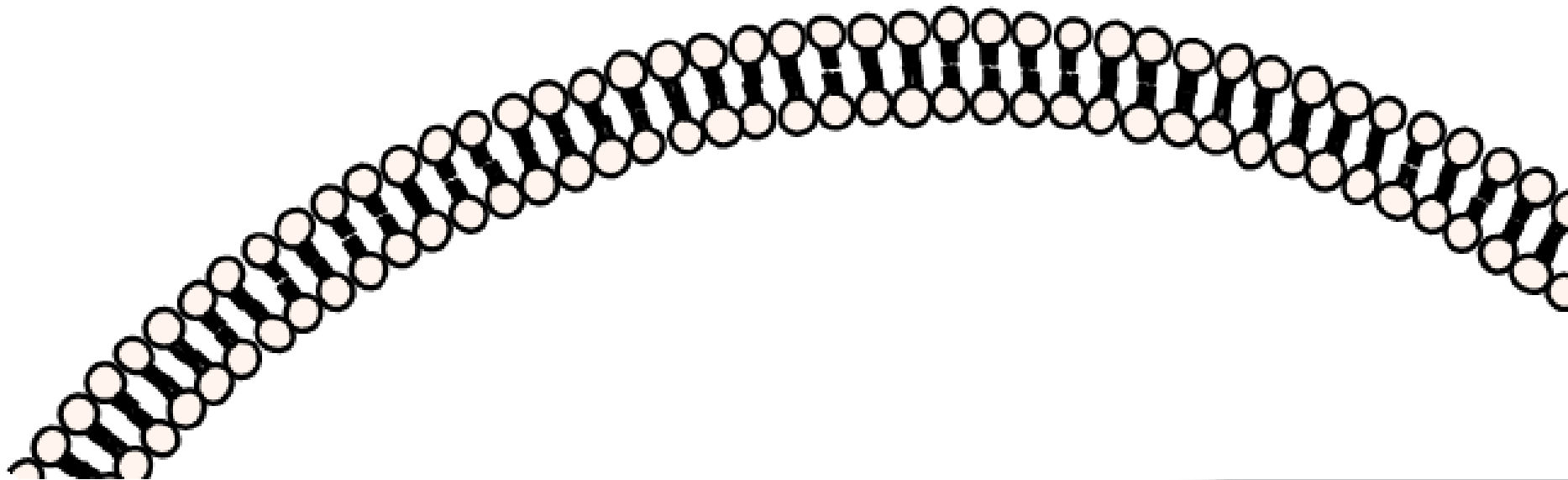
# Biophysical Simulations using QuickField

- Membrane and Cellular Size Scales
- Intrinsic Membrane Potentials
- Membrane Bound Charges
- Induced Membrane Potentials
  - External Plasma Membrane
  - Organelle Membranes
- Bioimpedance Simulations
- Dielectrophoresis Forces

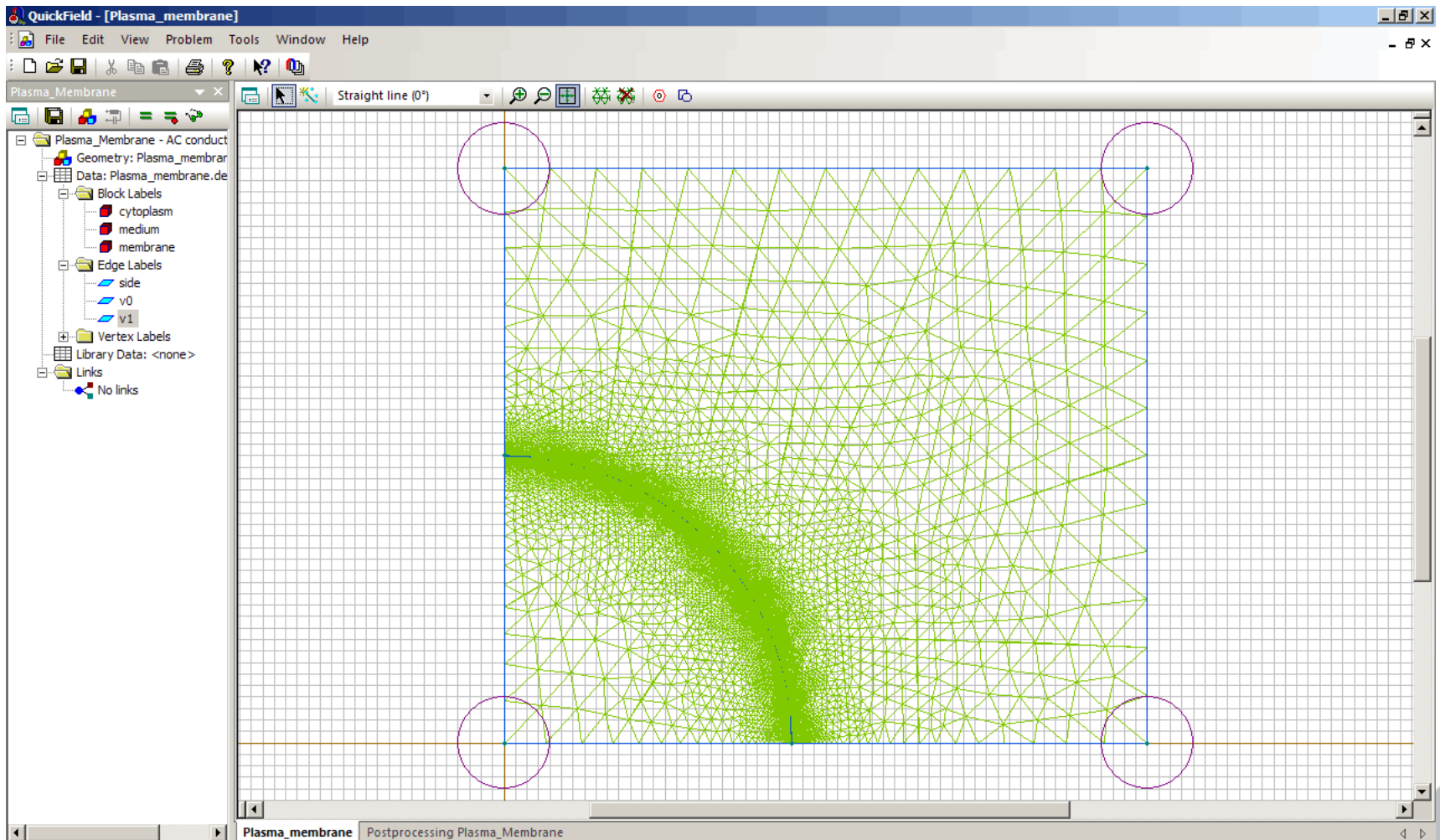


# Relative Size Scales

- Cells are ~50 micron size
- Membranes are ~ 7 nm in thickness
- Mesh density should span ~ 3 orders of magnitude



# Scale modeling of biological membranes requires a hyperfine mesh density

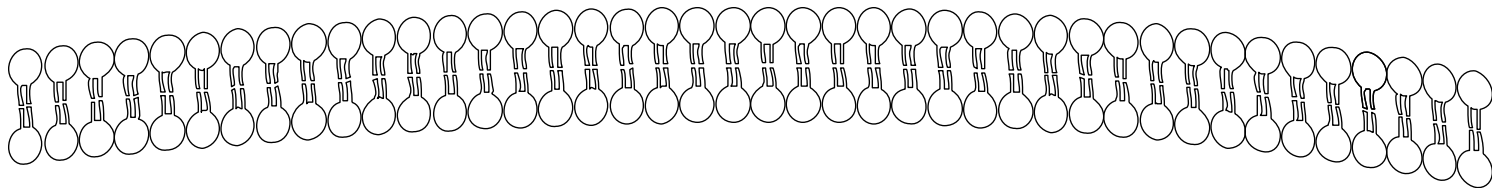




# Membrane Potential

Membrane with ionic concentrations  $C_1$  and  $C_2$  on each side of the membrane.

$U_{e1} \quad C_1$

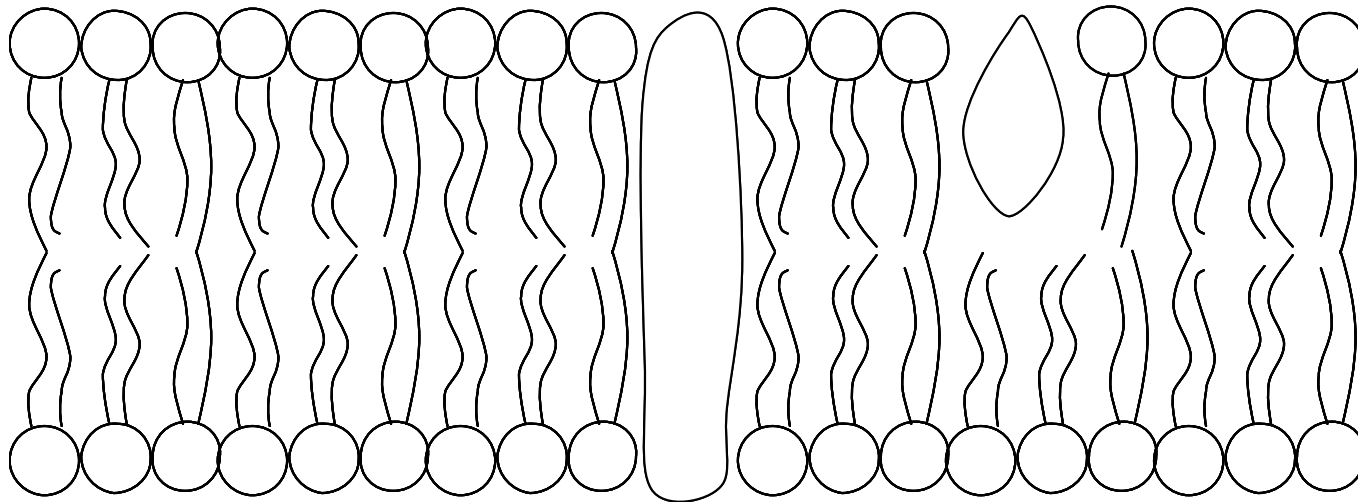


$U_{e2} \quad C_2$



# Membrane Charges

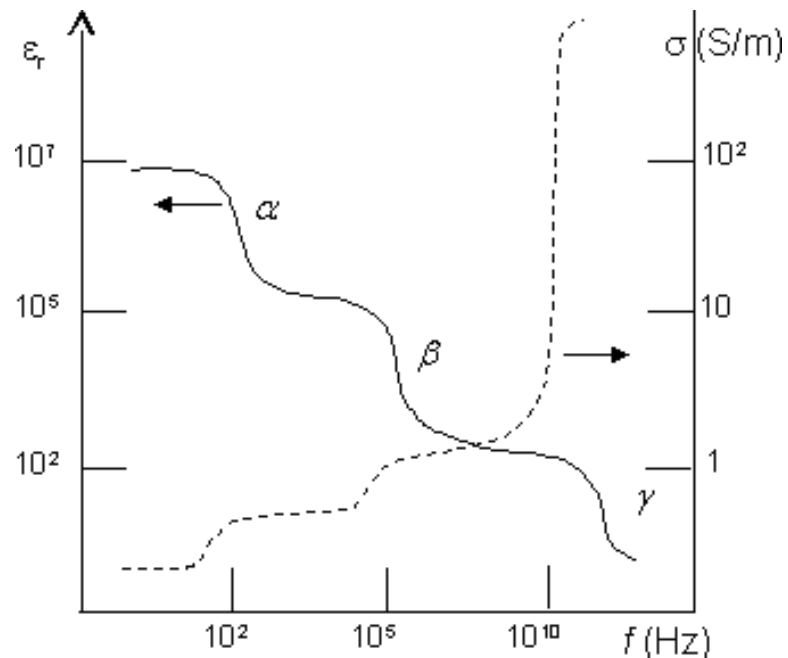
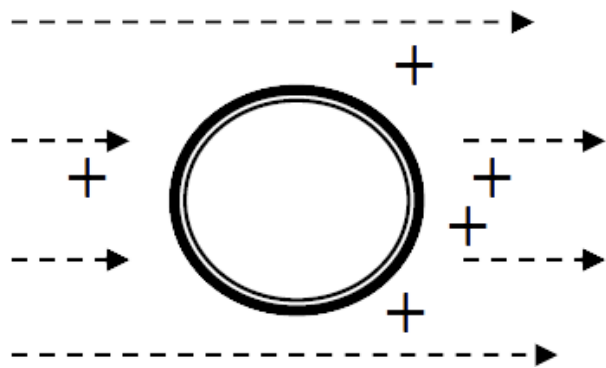
Section of plasma membrane with embedded membrane proteins. Cell membranes represent a boundary between living and nonliving matter on earth. The membrane encloses the cytoplasm containing organelles while remaining permeable to small molecules.





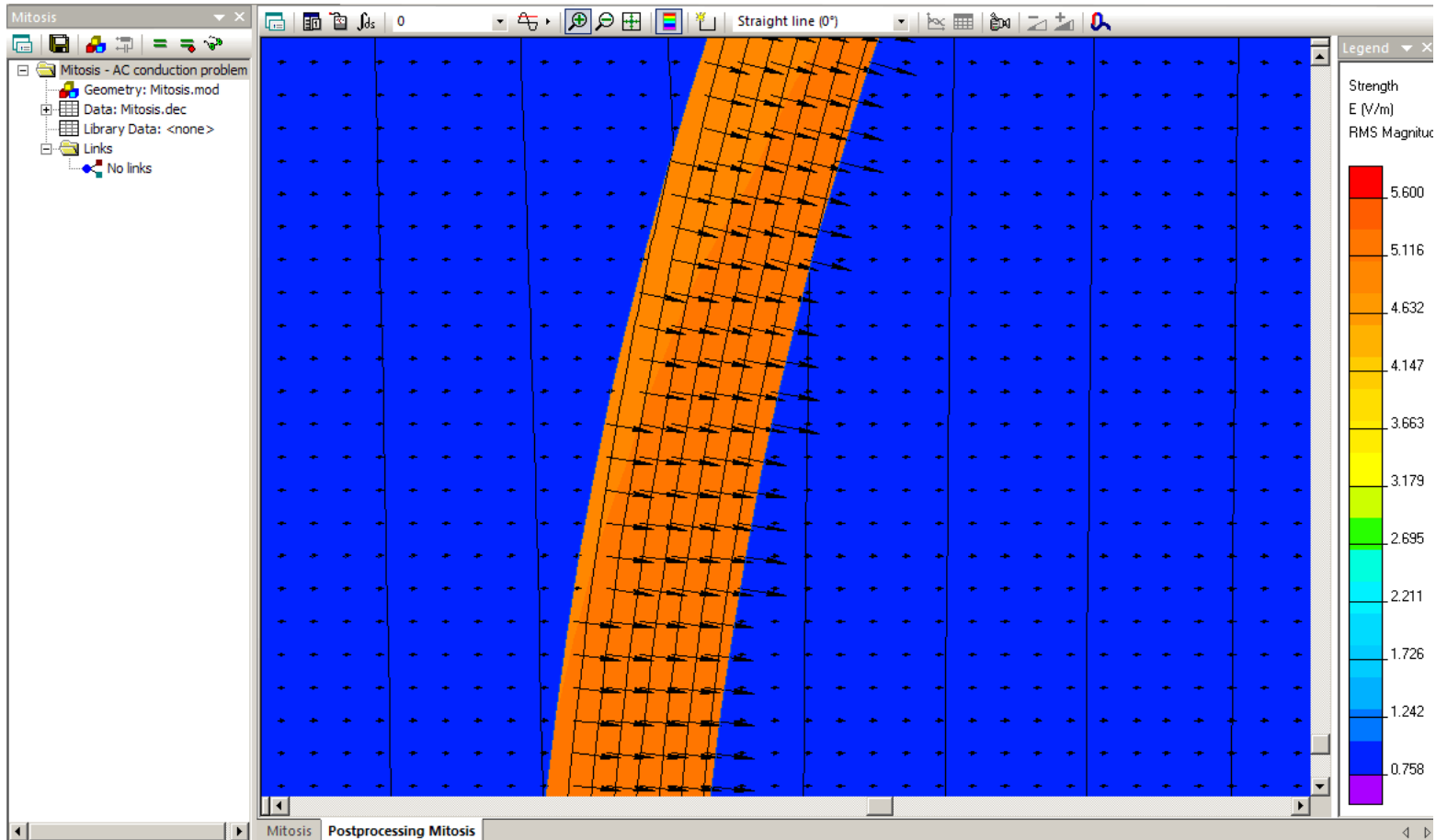
# Modulation of membrane potential by external fields

- Motion of counter ions ( $\alpha$  –frequency range below kHz)
- Maxwell-Wagner effect – potential differences developed across regions of differing permittivity





# Amplification of E across the membrane







# Bioimpedance Simulations

- Determine the effective  $\sigma$  and  $\varepsilon$  of tissue or cell suspension

$$J = \underbrace{\sigma E}_{J_{\text{active}}} + i \underbrace{\omega \varepsilon E}_{J_{\text{reactive}}}$$

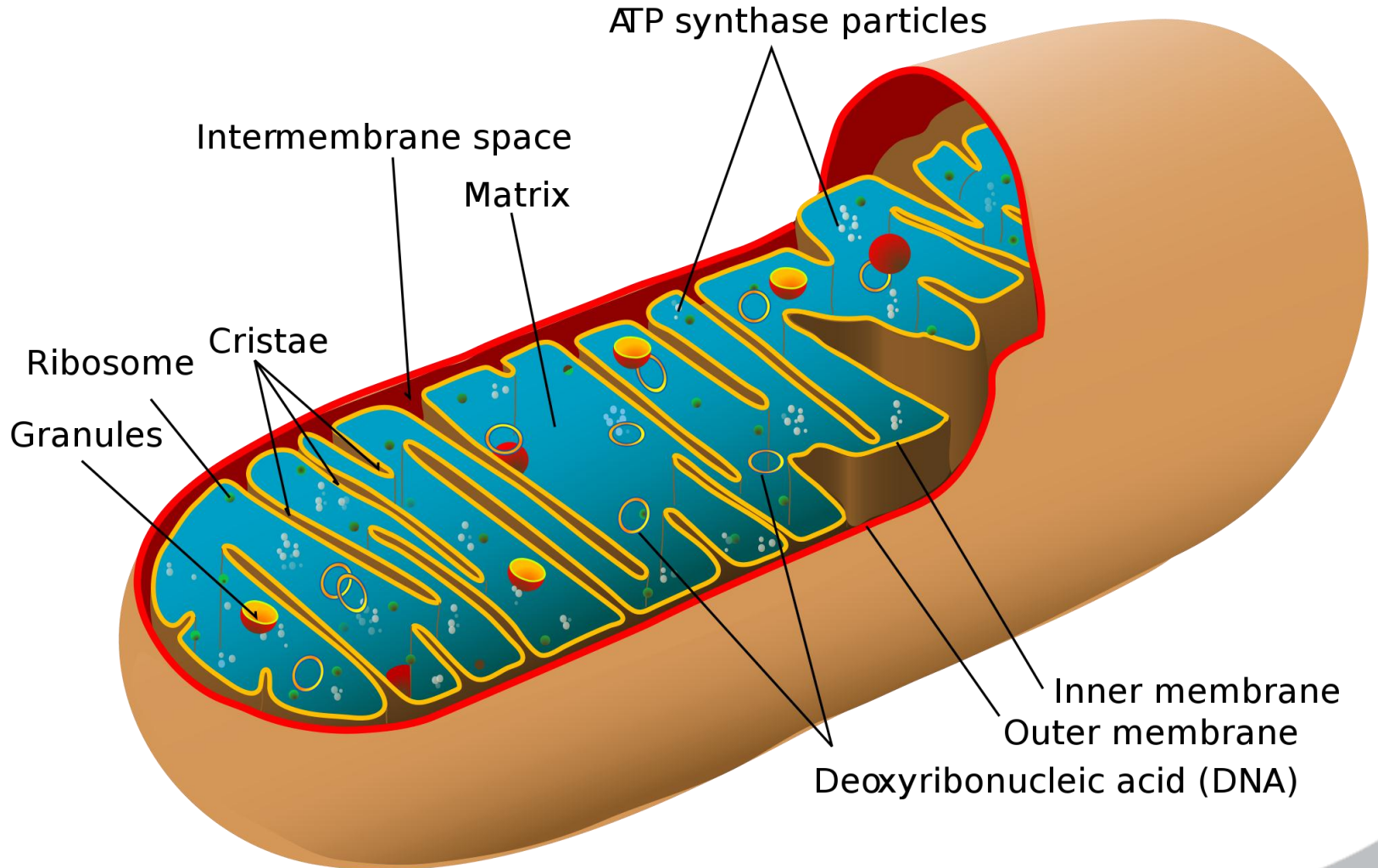
$$\sigma = \frac{J_{\text{active}}}{E}$$

$$\varepsilon = \frac{J_{\text{reactive}}}{E\omega}$$

Modeled using the AC Current Flow Module



# Mitochondrion





# Dielectrophoresis Force

- Occurs in nonuniform fields,  $\mathbf{F} = \mathbf{p} \cdot \nabla \cdot \mathbf{E}$
- Direction of the force points towards or away from electric field gradient direction
- Direction depends on the relative permittivity of dielectric particles with respect to the medium
- Application to cell separation
- AC Fields

$$F = 2\pi r^3 \epsilon_m \operatorname{Re} \left( \frac{\epsilon_p^* - \epsilon_m^*}{\epsilon_p^* + 2\epsilon_m^*} \right) \nabla E_{\text{rms}}^2$$

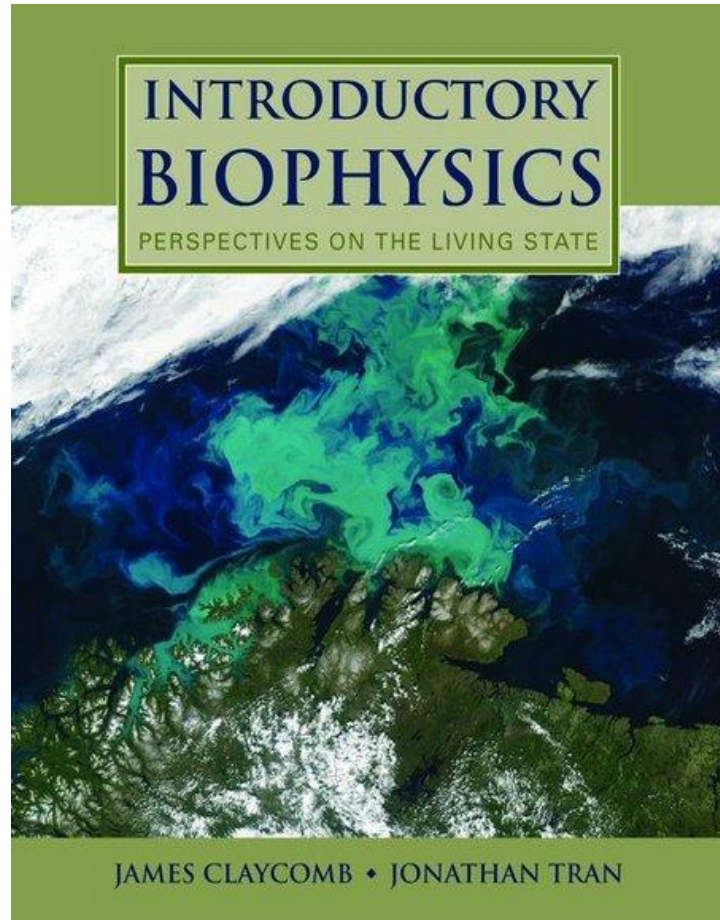
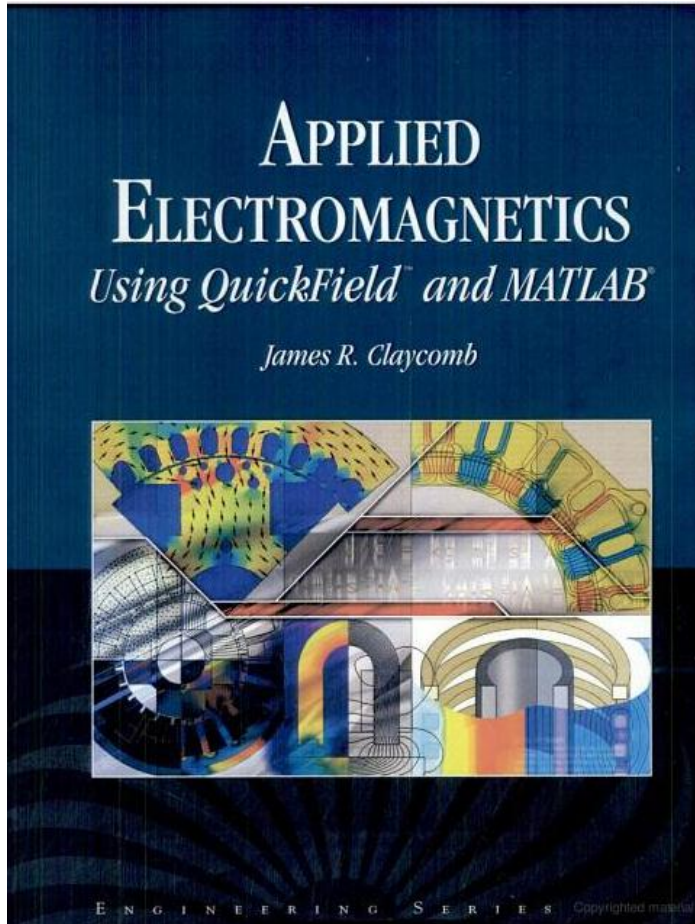


# Key Points

- Low frequency fields are screened from the interior of cells
- High frequency fields penetrate cells modulating the organelle potential differences
- External fields are amplified across cell membranes
- Dielectrophoresis force occurs in nonuniform fields and is either attractive or repulsive depending on the relative permeability of dielectric particles relative to their environment.

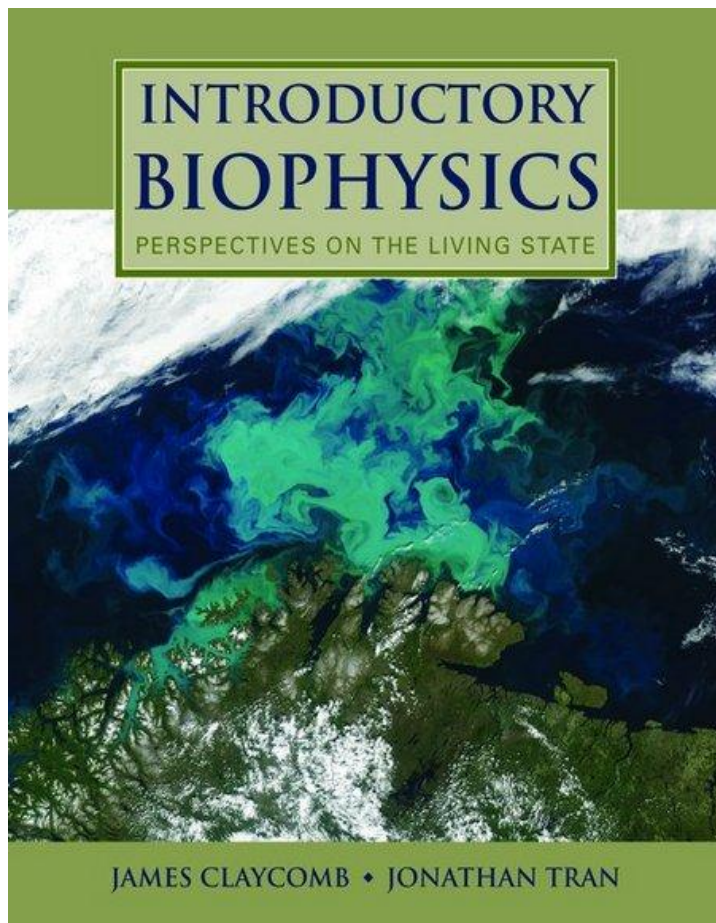


## Books by Dr. James Claycomb:





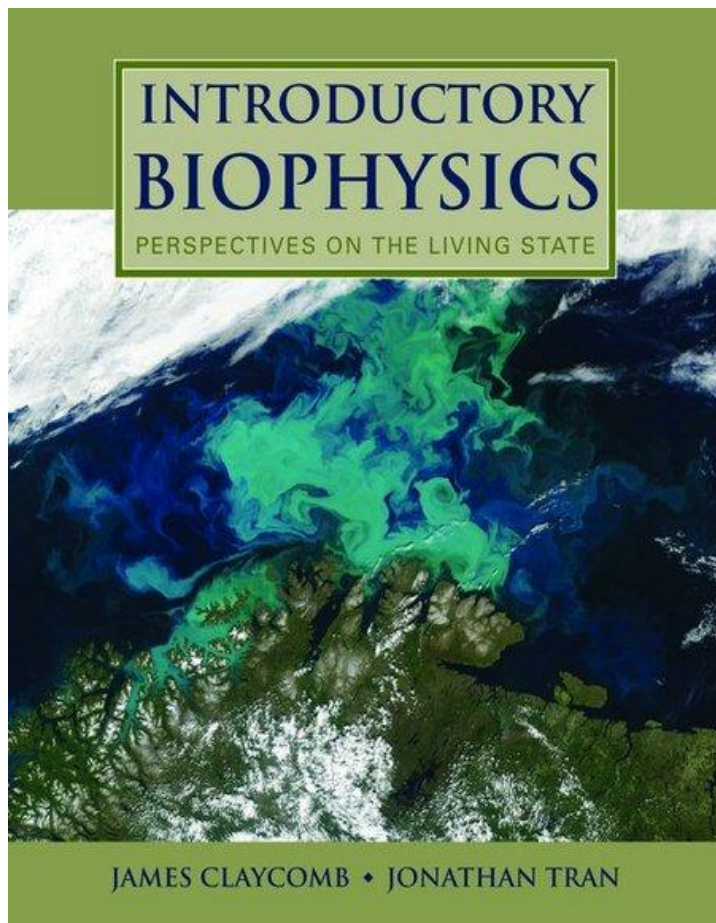
# Further Applications: Introductory Biophysics by Jones & Bartlett Learning



Analysis & Symmetry	Biophysical Calculations in QuickField
<b>Electrostatic</b> •X-Y Symmetry •Axial Symmetry	<ul style="list-style-type: none"><li>• Field distributions of molecular ion and dipole sources</li><li>• Plasma and organelle membrane potentials and field distributions</li><li>• Forces and torques on membrane bound protein dipole sources</li><li>• Dielectrophoretic force acting on cells and biomolecules in nonuniform electric fields</li><li>• Electrorotation forces on cells of various shapes.</li></ul>
<b>Magnetostatic</b> •X-Y Symmetry •Axial Symmetry	<ul style="list-style-type: none"><li>• Magnetic fields generated by bioelectric currents</li><li>• Magnetotactic bacteria</li><li>• Current dipole model of action potentials</li><li>• Forces and torques acting between bioelectric current sources</li><li>• Forces and torques acting on bioelectric sources in external B fields</li><li>• Magnetostatic forces acting on weakly diamagnetic biomaterials in high magnetic fields</li></ul>
<b>AC Magnetic</b> •X-Y Symmetry •Axial Symmetry	<ul style="list-style-type: none"><li>• AC currents induced in tissue and cells by alternating magnetic fields</li><li>• Joule heating of tissue by alternating magnetic fields</li><li>• AC currents and induced potentials across plasma and organelle membranes</li></ul>
<b>Transient Magnetic</b> •X-Y Symmetry •Axial Symmetry	<ul style="list-style-type: none"><li>• Transient currents induced in biomaterials by magnetic field pulses and periodic waveforms (including square wave, triangle, saw tooth, rectified sine wave, delta train)</li><li>• Transient currents and induced potentials across plasma and organelle membranes</li></ul>



# Further Applications: Introductory Biophysics by Jones & Bartlett Learning



<b>DC Conduction</b> •X-Y Symmetry •Axial Symmetry	<ul style="list-style-type: none"><li>• DC current flow through biomaterials</li><li>• Bioelectric return currents due to action potentials</li><li>• DC currents through gap junctions, plasma and organelle membranes</li></ul>
<b>AC Conduction</b> •X-Y Symmetry •Axial Symmetry	<ul style="list-style-type: none"><li>• Bioimpedance calculations of tissue and cells</li><li>• AC currents induced in tissue and cells by alternating magnetic fields</li></ul>
<b>Thermal</b> •X-Y Symmetry •Axial Symmetry	<ul style="list-style-type: none"><li>• Heat transfer between biomaterials via radiation, convection and conduction</li></ul>
<b>Stress</b> •X-Y Symmetry •Axial Symmetry	<ul style="list-style-type: none"><li>• Stresses and strains in biomaterials with specified Young's modulus and Poisson's ratio</li><li>• Coupled electric stresses in biomaterials</li><li>• Coupled thermal stresses in biomaterials</li></ul>
<b>Circuit Analysis</b> (AC Magnetics and Transient Magnetics)	<ul style="list-style-type: none"><li>• Equivalent circuit models of cells and tissue under electrical stimulation</li><li>• Dendrite passive signal propagation</li><li>• Gap junction circuit models</li><li>• Circuit models of electrode interfaces</li><li>• Electrical circuits linked to tissue elements constructed in AC and Transient Magnetics Modules</li></ul>