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# Going dynamics...

Using static results from Quickfield for fast and accurate simulations of actuators in Saber

# Going dynamics Saber seminar 2013

- **Generalities** - Modelling magnetical aspects
- **Principles** - Simplifying equations
- **Quickfield** - A fast and versatile 2D software
- **Tools** - Automated Model Creation
- **Applications** - Linear actuator - 3-phases motor

# Going dynamics - Generalities (1/2)

The need of using the same simulation tool becomes evident when different technologies require to be simulated in the same design, preferably a 1D tool (using schematics and discrete components such as Saber ) , the reasons are :

**The possibility to simulate large systems**

**Fast simulation and good accuracy**

**The Cost of ownership**

But component techniques modelling is **not straightforward**

# Going dynamics - Generalities (2/2)

## Case of electromagnetics :

To create a model, we need to translate :

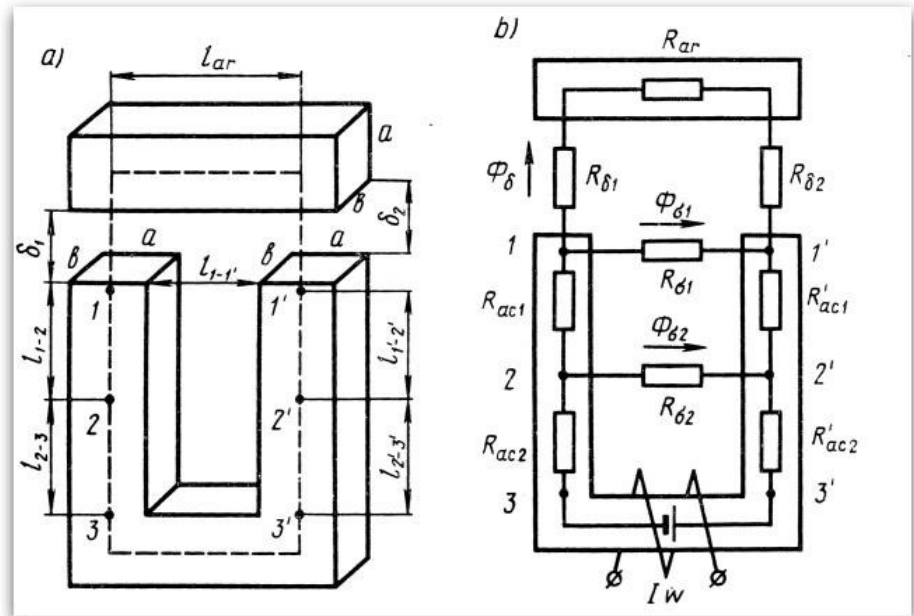
Geometry

Material characteristics

Physical interactions

Movements

in a 1D description



**1D representation of a magnetic circuit**

# Going dynamics - Principles ( 1 / 3 )

## Mechanical aspects

$$\frac{\partial(\text{mass} \cdot \text{speed})}{\partial(t)} = \Sigma(\text{Forces})$$

$$\frac{\partial(J \cdot \text{speed})}{\partial(t)} = \Sigma(\text{Torques})$$

Let's have a 2D table :

$$\text{Forces} = F(I, \text{translation})$$

$$\text{Torques} = T(I, \text{rotation})$$

## Electrical aspects

$$\text{emf} = \frac{\partial(\Phi)}{dt}$$

Let's have a 2D table :

$$\Phi = \text{Flux}(I, \text{translation})$$

$$\Phi = \text{Flux}(I, \text{rotation})$$

# Going dynamics - Principles ( 2 / 3 )

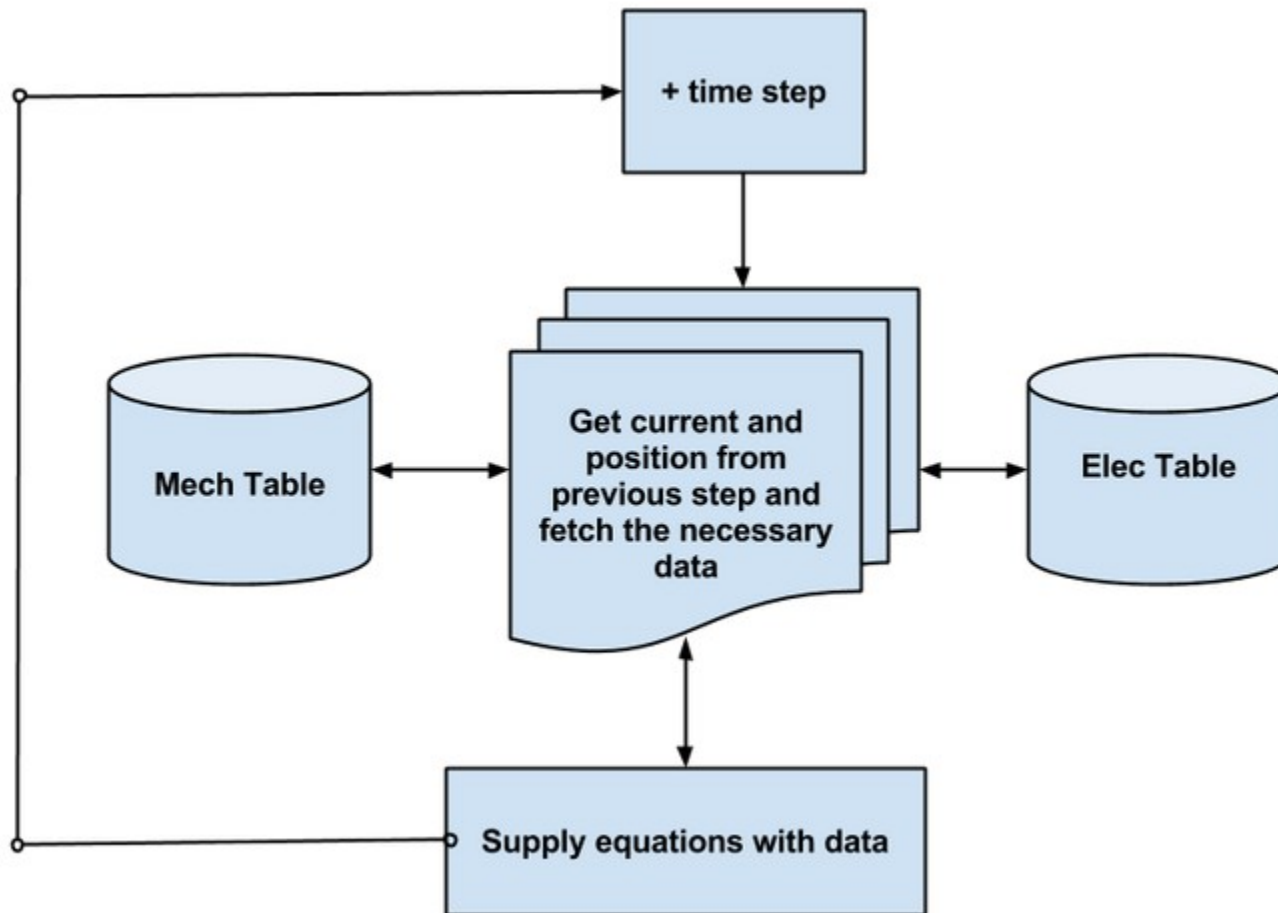
For instance :

$$\text{Mech Table} := \begin{bmatrix} x & -I3 & -I2 & -I1 & 0 & I1 & I2 & I3 \\ x1 & mF13 & mF12 & mF11 & mF10 & F11 & F12 & F13 \\ x2 & mF23 & mF22 & mF21 & mF20 & F21 & F22 & F23 \\ x3 & mF33 & mF32 & mF31 & mF30 & F31 & F32 & F33 \end{bmatrix}$$

$$\text{Elec Table} := \begin{bmatrix} x & -I3 & -I2 & -I1 & 0 & I1 & I2 & I3 \\ x1 & m\phi13 & m\phi12 & m\phi11 & m\phi10 & \phi11 & \phi12 & \phi13 \\ x2 & m\phi23 & m\phi22 & m\phi21 & m\phi20 & \phi21 & \phi22 & \phi23 \\ x3 & m\phi33 & m\phi32 & m\phi31 & m\phi30 & \phi31 & \phi32 & \phi33 \end{bmatrix}$$

# Going dynamics - Principles ( 3 / 3 )

The algorithm is quite simple :



# Going dynamics - QuickField (1/3)

QuickField is a Finite Element Analysis software with the following options

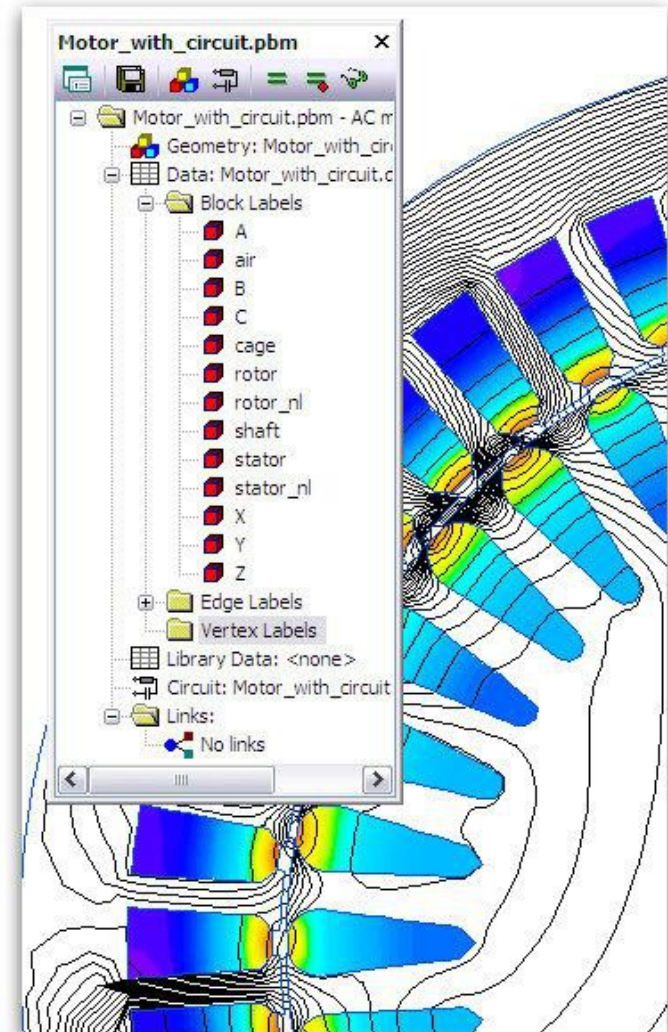
- Magnetic Suite
  - DC Magnetics, AC Magnetics, Transient + DC Magnetics
- Electric Suite
  - Electrostatics & DC conduction, AC conduction, Transient Electric + Electrostatics & DC conduction
- Thermostructural Suite
  - Stress Analysis, Steady and Transient Heat transfer



# Going dynamics - QuickField (2/3)

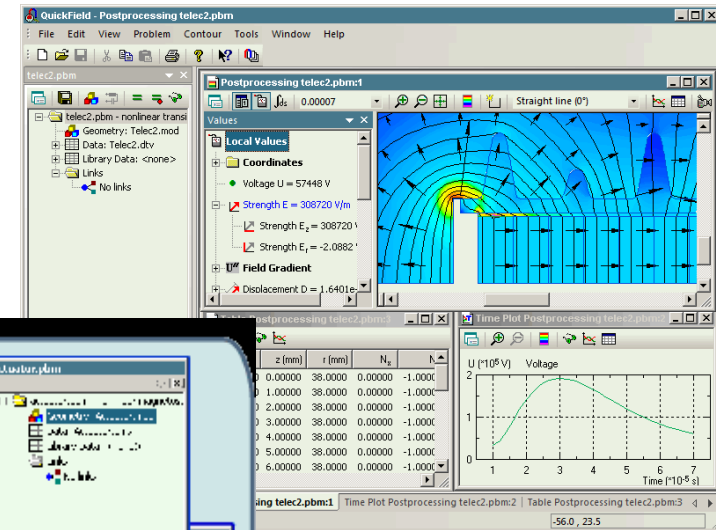
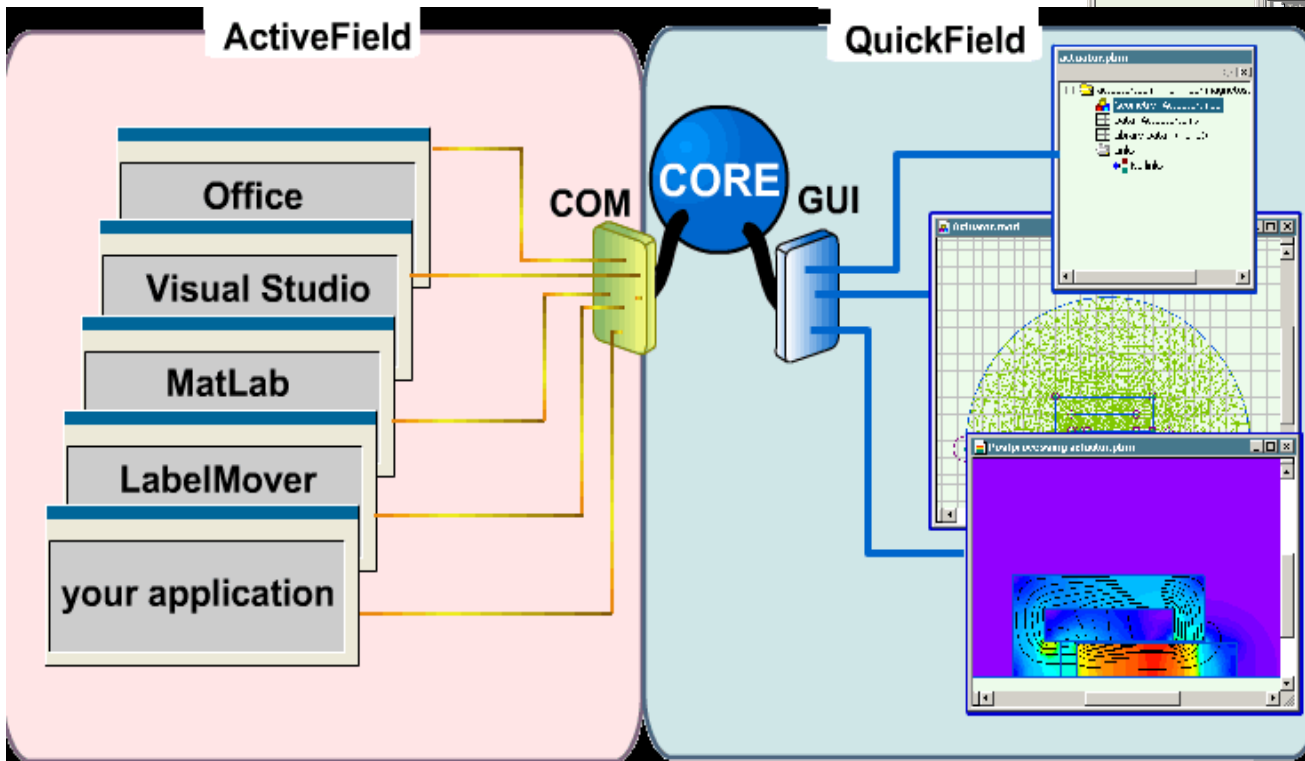
- Fast FEA software
- Easy automation

The design is changed step by step. the simulation of static operating points is easier to realize than a dynamic simulation. At each step, the magnetical flux and mechanical forces are stored.



# Going dynamics - QuickField (3/3)

## Automation in QuickField : ActiveField



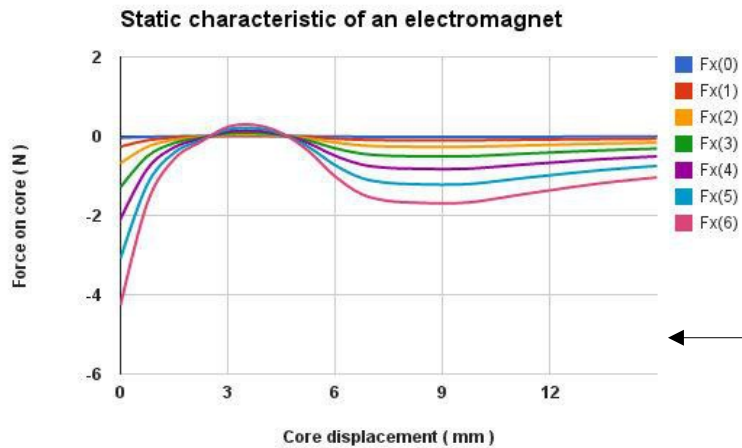
# Going dynamics - Tools

```
foreign pw11

parameters {

  →force_0 = [(0,0.000000), (0.00075,0.000000)],
  →force_1 = [(0,-0.118585), (0.00075,-0.026270)],
  →force_2 = [(0,-0.474339), (0.00075,-0.105075)],
  →force_3 = [(0,-1.067259), (0.00075,-0.236417)],
  →force_4 = [(0,-1.897338), (0.00075,-0.420292)],
  →force_5 = [(0,-2.964582), (0.00075,-0.656696)],
  →force_6 = [(0,-4.268973), (0.00075,-0.945634)],
  →force_7 = [(0,-35.890573), (0.00075,-7.95019)]
}
```

The Tcl script change the geometry and fill a table

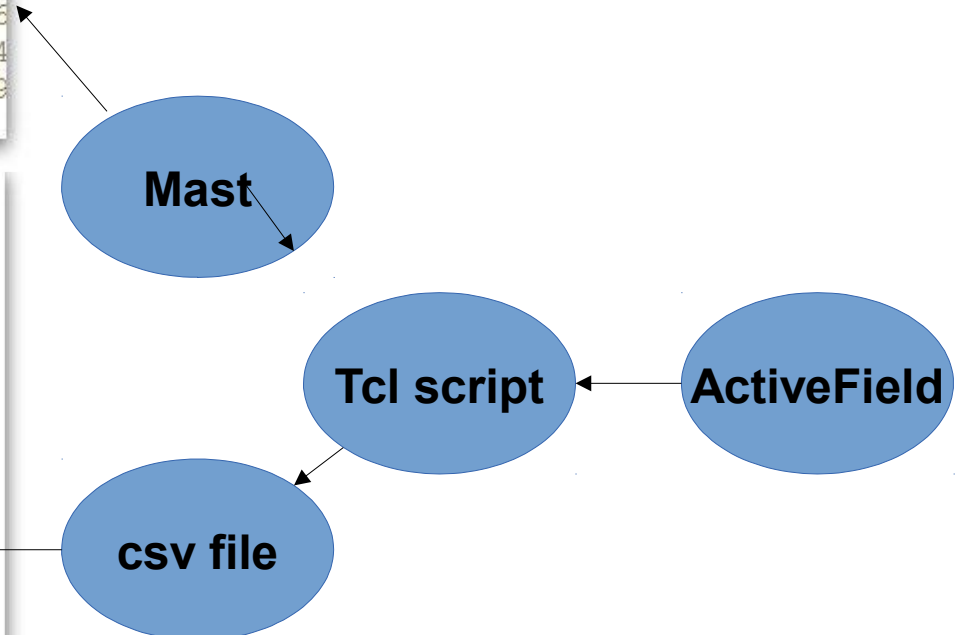


Mast

Tcl script

ActiveField

csv file



# Going dynamics - Mast ( 1 / 4 )

## Mast declaration

```

val frc_N f_0 , f_1 , f_2 , f_3 , f_4 , f_5 , f_6 , f_7
val frc_N f_n0 , f_n1 , f_n2 , f_n3 , f_n4 , f_n5 , f_n6 , f_n7
val f fl_0 , fl_1 , fl_2 , fl_3 , fl_4 , fl_5 , fl_6 , fl_7
val f fl_n0 , fl_n1 , fl_n2 , fl_n3 , fl_n4 , fl_n5 , fl_n6 , fl_n7

→
struct { number xi, yi ; } \
→ force_0[*], force_1[*], force_2[*], force_3[*], force_4[*],
→ force_5[*], force_6[*], force_7[*], \
→ flux_0[*], flux_1[*], flux_2[*], flux_3[*], flux_4[*],
→ flux_5[*], flux_6[*], flux_7[*]
struct { number xi, yi ; } \
→ force_n0[*], force_n1[*], force_n2[*], force_n3[*], force_n4[*],
→ force_n5[*], force_n6[*], force_n7[*], \
→ flux_n0[*], flux_n1[*], flux_n2[*], flux_n3[*], flux_n4[*],
→ flux_n5[*], flux_n6[*], flux_n7[*]

number idens_0, idens_1, idens_2, idens_3, idens_4, idens_5, idens_6, idens_7,
number idens_n0, idens_n1, idens_n2, idens_n3, idens_n4, idens_n5, idens_n6, idens_n7,

```

# Going dynamics - Mast ( 2 / 4 )

## parameters section

```
foreign pw11
parameters {
  → force_0 = [(0,0.000000), (0.00075,0.000000),
  → force_1 = [(0,-0.118585), (0.00075,-0.026270),
  → force_2 = [(0,-0.474339), (0.00075,-0.105075),
  → force_3 = [(0,-1.067259), (0.00075,-0.236417)
```

## values section

```
values {
#---+---1---+---2---+---3---+---4---+---5---
# Force
#---+---1---+---2---+---3---+---4---+---5---
  → # the positive part
  → f_0 = pw11(12, addr(force_0), len(force_0), x)
  → f_1 = pw11(12, addr(force_1), len(force_1), x)
  → f_2 = pw11(12, addr(force_2), len(force_2), x)
```



# Going dynamics - Mast ( 3 / 4 )

## Values section ( cont.)

```
#---+---1---+---2---+---3---+---4---+---5---
# All
#---+---1---+---2---+---3---+---4---+---5---

→if ( idens >= idens_0 & idens < idens_1 ) {
→    →force = ( f_1 - f_0 ) / ( idens_1 - idens_0 ) * (
→    →flux = ( fl_1 - fl_0 ) / ( idens_1 - idens_0 ) *
→}

→else if ( idens >= idens_1 & idens < idens_2 ) {
→    →force = ( f_2 - f_1 ) / ( idens_2 - idens_1 ) * (
→    →flux = ( fl_2 - fl_1 ) / ( idens_2 - idens_1 ) *
→}
```

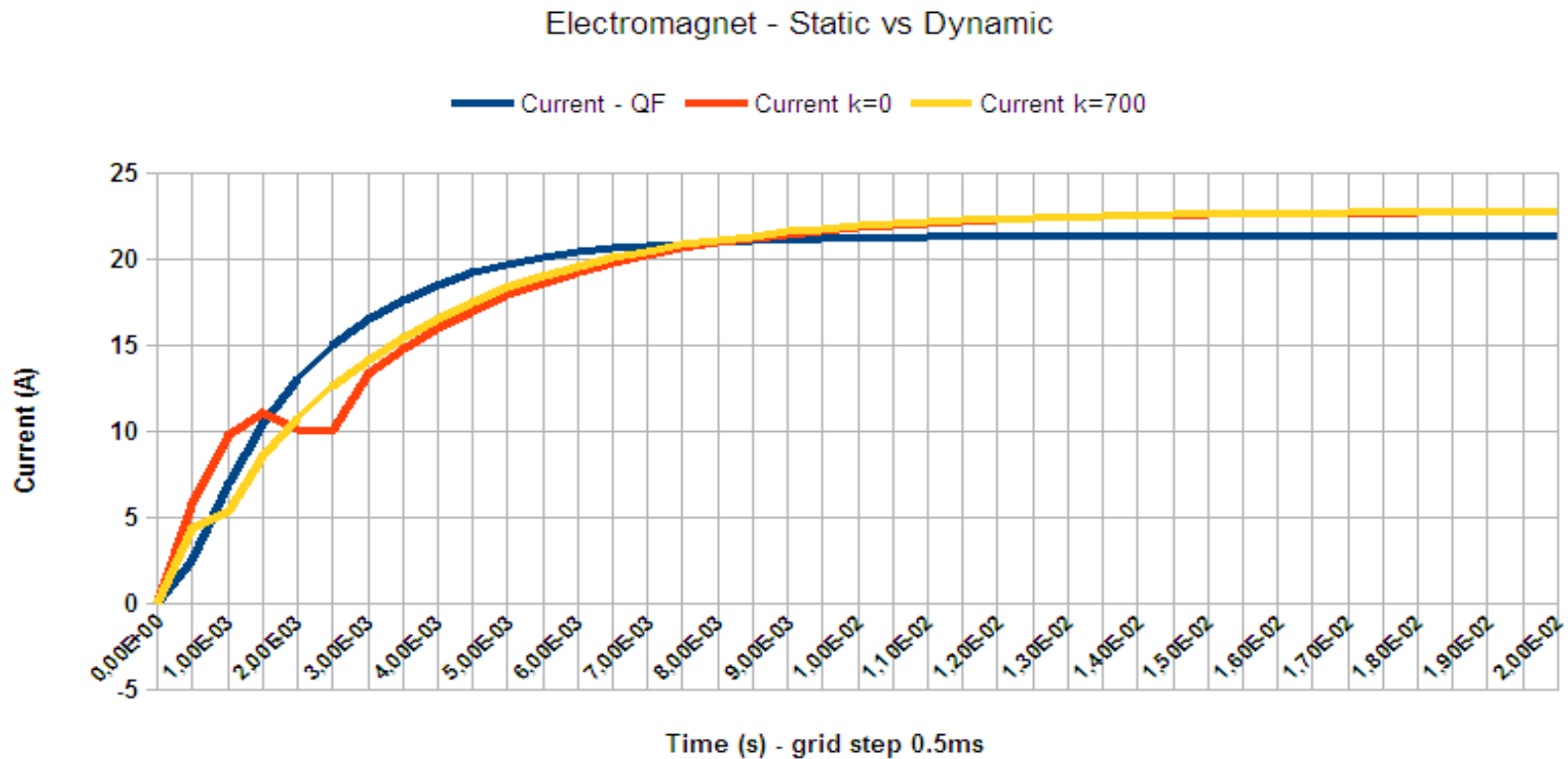
# Going dynamics - Mast ( 4 / 4 )

## control and equations section

```
control_section {  
    → → # newton_step(idens,ns_idens)  
    → → # sample_points(x,sp_x)  
    → → initial_condition(x,13m)  
    → → initial_condition(speed,0)  
}  
  
equations {  
    → → i(p) += i  
    → → i(m) -= i  
    → → fcem : fcem = d_by_dt(N*flux)  
    → → i : v = fcem + vr  
    → → x : d_by_dt(x) = speed  
    → → speed : d_by_dt(speed) = (force-k*x)/mass
```

# Going dynamics - Applications (1/2)

## Linear actuators

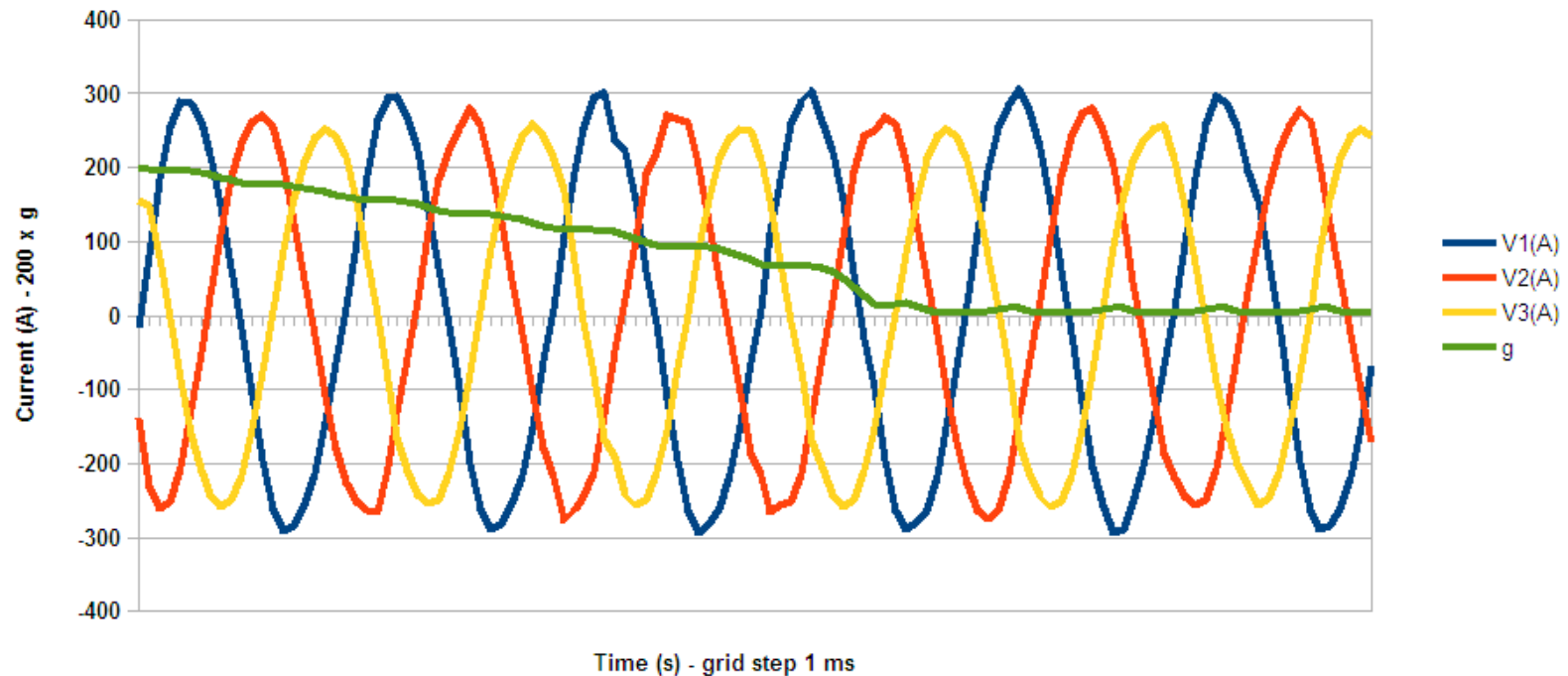




# Going dynamics - Applications (2a/2)

## Rotary actuators

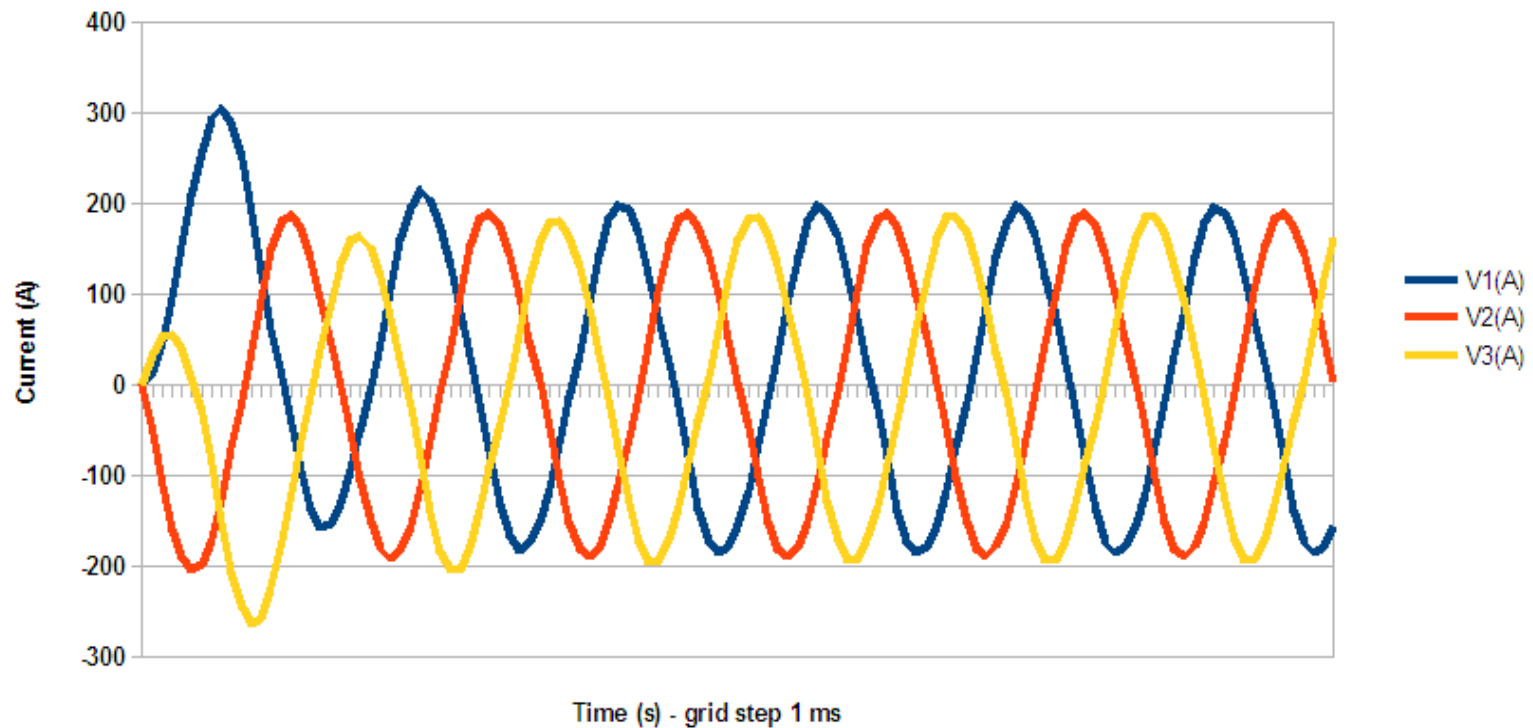
Asynchronous motor - Static vs Dynamic

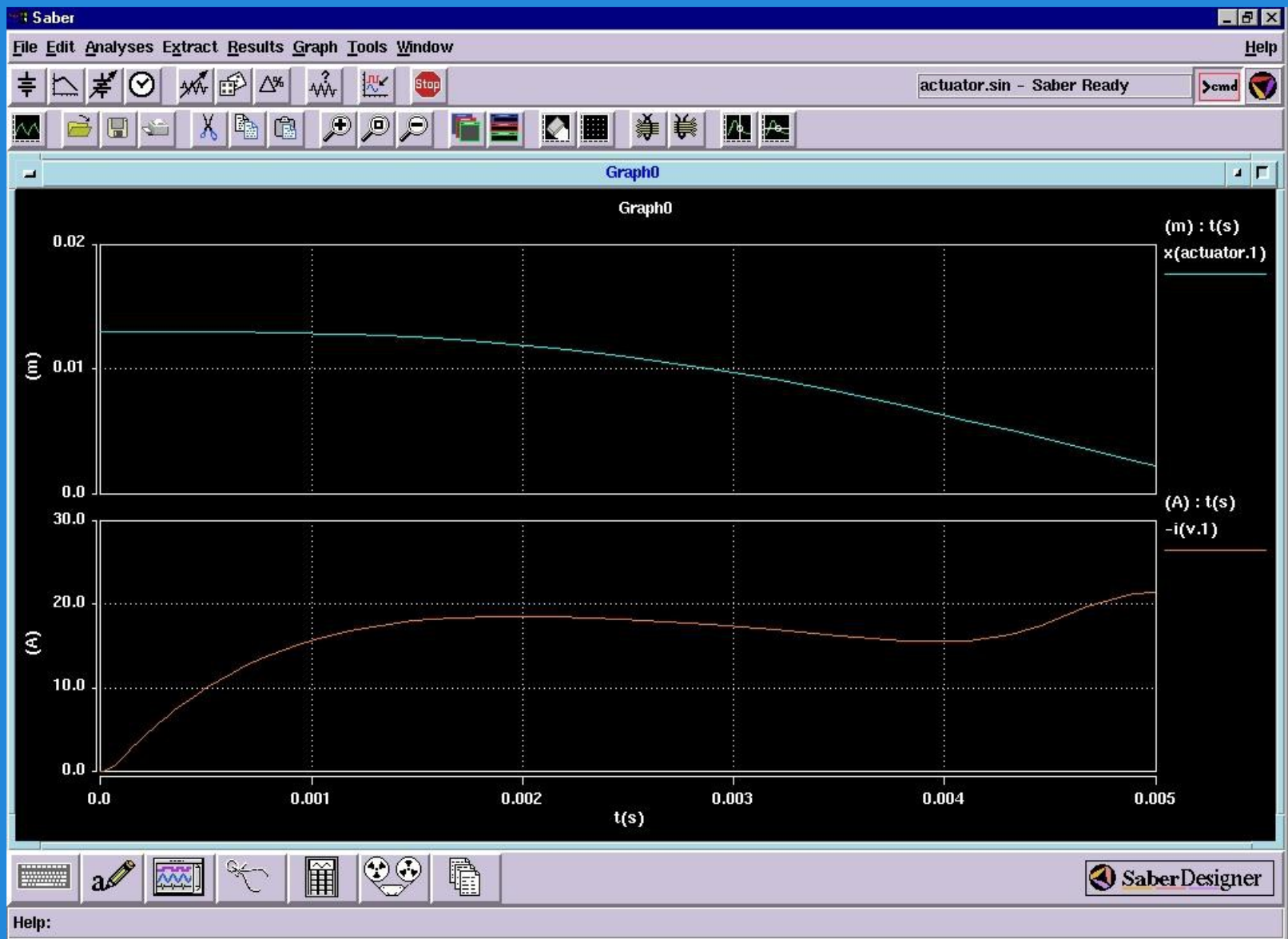


# Going dynamics - Applications (2b/2)

## Rotary actuators

Asynchronous motor - Static vs Dynamic





Saber will stay a unique tool, powerful, simple to use and that,  
with only about thirty Mast words to know....